## DATA <br> 

For a complete data sheet，please also download：
－The IC04 LOCMOS HE4000B Logic Family Specifications HEF，HEC
－The IC04 LOCMOS HE4000B Logic Package Outlines／Information HEF，HEC

## HEF4060B MSI

 14－stage ripple－carry binary counter／divider and oscillatorProduct specification
File under Integrated Circuits，IC04

PHILIPS

## 14－stage ripple－carry binary

 counter／divider and oscillator
## DESCRIPTION

The HEF4060B is a 14 －stage ripple－carry binary counter／divider and oscillator with three oscillator terminals （RS， $\mathrm{R}_{\mathrm{TC}}$ and $\mathrm{C}_{\mathrm{TC}}$ ），ten buffered outputs（ $\mathrm{O}_{3}$ to $\mathrm{O}_{9}$ and $\mathrm{O}_{11}$ to $\mathrm{O}_{13}$ ）and an overriding asynchronous master reset input（MR）．The oscillator configuration allows design of either RC or crystal oscillator circuits．The oscillator may
be replaced by an external clock signal at input RS．The counter advances on the negative－going transition of RS． A HIGH level on MR resets the counter（ $\mathrm{O}_{3}$ to $\mathrm{O}_{9}$ and $\mathrm{O}_{11}$ to $\mathrm{O}_{13}=\mathrm{LOW}$ ），independent of other input conditions．

Schmitt－trigger action in the clock input makes the circuit highly tolerant to slower clock rise and fall times．


Fig． 1 Functional diagram．


PINNING

| $M R$ | master reset |
| :--- | :--- |
| RS | clock input／oscillator pin |
| $\mathrm{R}_{\mathrm{TC}}$ | oscillator pin |
| $\mathrm{C}_{\mathrm{TC}}$ | external capacitor connection |
| $\mathrm{O}_{3}$ to $\mathrm{O}_{9}$ | counter outputs |
| $\mathrm{O}_{11}$ to $\mathrm{O}_{13}$ |  |

HEF4060BP（N）：16－lead DIL；plastic（SOT38－1）
HEF4060BD（F）：16－lead DIL；ceramic（cerdip）（SOT74）
HEF4060BT（D）：16－lead SO；plastic（SOT109－1）
（ ）：Package Designator North America

## FAMILY DATA，IDD LIMITS category MSI

See Family Specifications

勝 特 力材 料 886－3－5753170
G661 Kıenue


14－stage ripple－carry binary counter／divider

## AC CHARACTERISTICS

$\mathrm{V}_{\mathrm{SS}}=0 \mathrm{~V} ; \mathrm{T}_{\mathrm{amb}}=25^{\circ} \mathrm{C} ; \mathrm{C}_{\mathrm{L}}=50 \mathrm{pF}$ ；input transition times $\leq 20 \mathrm{~ns}$

|  | $\mathrm{V}_{\mathrm{DD}}$ | SYMBOL | MIN．TYP． | MAX． |  | TYPICAL EXTRAPOLATION FORMULA |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Propagation delays $\mathrm{RS} \rightarrow \mathrm{O}_{3}$ <br> HIGH to LOW <br> LOW to HIGH | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {PHL }}$ | $\begin{array}{r} 210 \\ 80 \\ 50 \\ \hline \end{array}$ | $\begin{aligned} & 420 \\ & 160 \\ & 100 \\ & \hline \end{aligned}$ | ns <br> ns <br> ns | $\begin{array}{r} 183 \mathrm{~ns}+(0,55 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \\ 69 \mathrm{~ns}+(0,23 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \\ 42 \mathrm{~ns}+(0,16 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \end{array}$ |
|  | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {PLH }}$ | $\begin{array}{r} \hline 210 \\ 80 \\ 50 \\ \hline \end{array}$ | $\begin{aligned} & \hline 420 \\ & 160 \\ & 100 \end{aligned}$ | ns <br> ns <br> ns | $\begin{array}{r} \hline 183 \mathrm{~ns}+(0,55 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \\ 69 \mathrm{~ns}+(0,23 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \\ 42 \mathrm{~ns}+(0,16 \mathrm{~ns} / \mathrm{pF}) C_{\mathrm{L}} \end{array}$ |
| $\mathrm{O}_{\mathrm{n}} \rightarrow \mathrm{O}_{\mathrm{n}+1}$ <br> HIGH to LOW | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {PHL }}$ | 25 10 6 | $\begin{aligned} & 50 \\ & 20 \\ & 12 \end{aligned}$ | ns ns ns |  |
| LOW to HIGH | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {PLH }}$ | $\begin{array}{r} 25 \\ 10 \\ 6 \end{array}$ | 50 20 12 | ns <br> ns <br> ns |  |
| $\mathrm{MR} \rightarrow \mathrm{O}_{\mathrm{n}}$ <br> HIGH to LOW | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {PHL }}$ | $\begin{array}{r} \hline 100 \\ 40 \\ 30 \end{array}$ | $\begin{array}{r} 200 \\ 80 \\ 60 \end{array}$ | ns ns ns | $\begin{aligned} & 73 \mathrm{~ns}+(0,55 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ & 29 \mathrm{~ns}+(0,23 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ & 22 \mathrm{~ns}+(0,16 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \end{aligned}$ |
| Output transition times HIGH to LOW | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{t}_{\text {THL }}$ | $\begin{aligned} & 60 \\ & 30 \\ & 20 \end{aligned}$ | 120 60 40 | ns <br> ns <br> ns | $\begin{aligned} 10 \mathrm{~ns} & +(1,0 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ 9 \mathrm{~ns} & +(0,42 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ 6 \mathrm{~ns} & +(0,28 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \end{aligned}$ |
| LOW to HIGH | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | ${ }_{\text {t }}^{\text {tin }}$ | $\begin{aligned} & 60 \\ & 30 \\ & 20 \end{aligned}$ | 120 60 40 | ns <br> ns <br> ns | $\begin{aligned} 10 \mathrm{~ns} & +(1,0 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ 9 \mathrm{~ns} & +(0,42 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \\ 6 \mathrm{~ns} & +(0,28 \mathrm{~ns} / \mathrm{pF}) \mathrm{C}_{\mathrm{L}} \end{aligned}$ |
| Minimum clock pulse width input RS HIGH | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $t_{\text {WRSH }}$ | 120 60 <br> 50 25 <br> 30 15 |  | ns ns ns |  |
| Minimum MR pulse width；HIGH | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | twmrin | 50 25 <br> 30 15 <br> 20 10 |  | ns <br> ns <br> ns |  |
| Recovery time for MR | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $t_{\text {RMR }}$ | 160 80 <br> 80 40 <br> 60 30 |  | ns <br> ns <br> ns |  |
| Maximum clock pulse frequency input RS | $\begin{array}{r} 5 \\ 10 \\ 15 \end{array}$ | $\mathrm{f}_{\text {max }}$ | 4 8 <br> 10 20 <br> 15 30 |  | $\begin{gathered} \mathrm{MHz} \\ \mathrm{MHz} \\ \mathrm{MHz} \end{gathered}$ |  |

## 14－stage ripple－carry binary counter／divider and oscillator

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## Notes

1．where：
$\mathrm{f}_{\mathrm{i}}=$ input frequency $(\mathrm{MHz})$
$\mathrm{f}_{\mathrm{o}}=$ output frequency $(\mathrm{MHz})$
$\mathrm{C}_{\mathrm{L}}$＝load capacitance（ pF ）
$\mathrm{V}_{\mathrm{DD}}=$ supply voltage $(\mathrm{V})$
$\mathrm{C}_{\mathrm{t}}=$ timing capacitance $(\mathrm{pF})$
$\mathrm{f}_{\text {osc }}=$ oscillator frequency $(\mathrm{MHz})$

## RC oscillator



Typical formula for oscillator frequency：

$$
\mathrm{f}_{\mathrm{osc}}=\frac{1}{2,3 \times R_{\mathrm{t}} \times \mathrm{C}_{\mathrm{t}}}
$$

Fig． 4 External component connection for RC oscillator．

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## Timing component limitations

The oscillator frequency is mainly determined by $R_{t} C_{t}$ ，provided $R_{t} \ll R 2$ and $R 2 C 2 \ll R_{t} C_{t}$ ．The function of R2 is to minimize the influence of the forward voltage across the input protection diodes on the frequency．The stray capacitance C 2 should be kept as small as possible． In consideration of accuracy， $\mathrm{C}_{\mathrm{t}}$ must be larger than the inherent stray capacitance．$R_{t}$ must be larger than the LOCMOS＇ON＇resistance in series with it，which typically is $500 \Omega$ at $V_{D D}=5 \mathrm{~V}, 300 \Omega$ at $V_{D D}=10 \mathrm{~V}$ and $200 \Omega$ at $V_{D D}=15 \mathrm{~V}$ ．

The recommended values for these components to maintain agreement with the typical oscillation formula are：
$C_{t} \geq 100 \mathrm{pF}$ ，up to any practical value，
$10 \mathrm{k} \Omega \leq \mathrm{R}_{\mathrm{t}} \leq 1 \mathrm{M} \Omega$ ．

## Typical crystal oscillator circuit

In Fig．5，R2 is the power limiting resistor．For starting and maintaining oscillation a minimum transconductance is necessary．


Fig． 5 External component connection for crystal oscillator．


Fig． 6 Test set－up for measuring forward transconductance $g_{f s}=d i_{o} / d v_{i}$ at $v_{o}$ is constant（see also graph Fig．7）； MR＝LOW．

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Fig． 7 Typical forward transconductance $g_{f s}$ as a function of the supply voltage at $\mathrm{T}_{\mathrm{amb}}=25^{\circ} \mathrm{C}$ ．

$C_{t}$ curve at $R_{t}=100 \mathrm{k} \Omega ; R 2=470 \mathrm{k} \Omega$ ．
$\mathrm{R}_{\mathrm{t}}$ curve at $\mathrm{C}_{\mathrm{t}}=1 \mathrm{nF} ; \mathrm{R} 2=5 \mathrm{R}_{\mathrm{t}}$ ．
Fig． $8 \quad \mathrm{RC}$ oscillator frequency as a function of $R_{t}$ and $C_{t}$ at $V_{D D}=5$ to $15 \mathrm{~V} ; \mathrm{T}_{\mathrm{amb}}=25^{\circ} \mathrm{C}$ ．

$\ldots \mathrm{R}_{\mathrm{t}}=100 \mathrm{k} \Omega ; \mathrm{C}_{\mathrm{t}}=1 \mathrm{nF} ; \mathrm{R} 2=0$ ．
$-R_{t}=100 \mathrm{k} \Omega ; \mathrm{C}_{\mathrm{t}}=1 \mathrm{nF} ; \mathrm{R} 2=300 \mathrm{k} \Omega$ ．
Fig． 9 Oscillator frequency deviation（ $\Delta f_{\text {osc }}$ ）as a function of ambient temperature；referenced at：$f_{\text {osc }}$ at $\mathrm{T}_{\mathrm{amb}}=25^{\circ} \mathrm{C}$ and $\mathrm{V}_{\mathrm{DD}}=10 \mathrm{~V}$ ．

